

# **BENCHMARKING JULIA AGAINST PYTHON**

# **INTRODUCTION**

This document provides several benchmarks that were conducted by Julia Computing.

# **BENCHMARK AGAINST PYTHON 1: CIRCUITSCAPE**

Circuitscape is a tool that borrows algorithms from electronic circuit theory to measure connectivity in heterogeneous landscapes. Its most common applications include modelling movement and gene flow of plants and animals, as well as identifying areas important for connectivity conservation. Circuit theory complements commonly-used connectivity models because of its connections to random walk theory and its ability to simultaneously evaluate contributions of multiple dispersal pathways. Landscapes are represented as conductive surfaces, with low resistances assigned to landscape features types that are most permeable to movement or best promote gene flow, and high resistances assigned to movement barriers."

"Circuitscape v4.0 is a Python package implemented primarily using NumPy, SciPy and PyAMG. However, this version faced significant limitations in terms of speed and scalability. Circuitscape v5.0 has been reimplemented in the Julia language for speed, efficiency and scalability. According to our benchmarks it is between 4x - 8x faster than v4.0 (benchmark chart attached)



Web: www.juliacomputing.com

BOSTON | NY | LONDON | BANGALORE

SIZE	PYTHON	JULIA	JULIA- CHOLMOD
1m	537.810477	106.395484	89.60318678
6m	4711.366189	1217.9016	543.0623558
12m	9486.912186	2337.54783	1124.275759
24m	20902.11244	4831.22026	
48m		10149.4611	

#### Hardware Used:

- Name: Intel(R) Xeon(R) Silver 4114 CPU
- Clock Speed: 2.20GHz
- Number of cores: 20
- RAM: 384 GB

## **BENCHMARK AGAINST PYTHON 2: RECOMMENDER SYSTEM**

The package RecSys.jl is a package for recommender systems in Julia, it can currently work with explicit ratings data. For preparing the input create an object of ALSWRtype. This takes two input parameters, firstly input file location, and second optional input is the variable par which specifies the type of parallelism. The parallelism is about how the data is shared/distributed across the processing units. When par=ParShemm the data is present at one location and is shared across the processing units, when par=ParChunk the data is distributed across the processing units. For this report only sequential timings were captured, i.e., with nprocs=1.

Parallelism is made possible in Julia mainly 2 ways, a). Multiprocessing and b). Multithreading. The multithreading development is ongoing. However, the multiprocessing based parallel processing in Julia is mature and mainly based around Tasks which are concurrent function calls. The implementation details are not covered here, the following graph summarises the performance of parallel ALS implementation in Julia and Spark:





# **BENCHMARK AGAINST PYTHON 3: CALCULATING PI DIGITS**

Using the Borwein's algorithm with quadratic convergence to the approximation of pi, (using a discriminant of the Ramanujan-Sato Series), we try to approximate pi to roughly 10 million digits. This algorithm uses simple calculations and iteratively approximates the value of pi.

This is to see how the languages compare in terms of calculations that may not be too heavy, but large in number. This mimics how calculations would happen behind the scenes when a machine learning model is fit.

The programs are run single threaded.



45 Prospect St., Cambridge, MA 02139 Email: <u>info@juliacomputing.com</u> Web: <u>www.juliacomputing.com</u>

# **PYTHON**

```
import time, timeit

def pi_calc(n = 10^{**7}):

a0 = 2^{**0.5}

b0 = 0

p0 = 2 + 2^{**0.5}

for i in xrange(n):

a1 = (a0 + a0^{**-0.5})/2.0

b1 = ((1 + b0)^{*}(a0^{**0.5}))/(a0 + b0)

p1 = ((1 + a1)^{*}p0^{*}b1)/(1 + b1)

a0 = a1

b0 = b1

p0 = p1

print(timeit.timeit(pi_calc, number = 1))
```

# JULIA

```
function pi_calc(n)

a0 = 2^{0.5}

b0 = 0

p0 = 2 + 2^{0.5}

for i in 1:n

a1 = (a0 + a0^{-0.5})/2.0

b1 = ((1 + b0)^{*}(a0^{0.5}))/(a0 + b0)

p1 = ((1 + a1)^{*}p0^{*}b1)/(1 + b1)

a0 = a1

b0 = b1

p0 = p1

end
```

end

@time pi\_calc(10^7)



## **RESULTS:**

LANGUAGE	TIME (SECONDS)
PYTHON	4.27
JULIA	0.82

# **BENCHMARK AGAINST PYTHON 4: MANDELBROT SET**

The Mandelbrot Set is a mathematical object known as a fractal which converges upon itself indefinitely. It is often used to benchmark programming languages for their performance as it involves non-trivial operations with the complex number space and high precision calculations. The Mandelbrot Set makes the following mapping:

 $z = z^2 + c$ 

We will make use of the numpy library in python (C bindings) to demonstrate a typical scenario when non trivial workflow is taken into consideration. Numba, which provides JIT compilation can provide further speedup, but cannot be used in all kinds of cases.

#### **PYTHON**

import numpy as np

def mandelbrot(c,maxiter): z = c for n in xrange(maxiter): if abs(z) > 2: return n z = z\*z + c return 0



Julia Computing, Inc. 45 Prospect St., Cambridge, MA 02139 Email: <u>info@juliacomputing.com</u>

Web: www.juliacomputing.com

```
start = time.time()
for i in range(width):
for j in range(height):
n3[i,j] = mandelbrot(r1[i] + 1j*r2[j],maxiter)
print(time.time() - start)
```

return (r1,r2,n3)

print(timeit.timeit(mandelbrot\_set, number = 1))

# JULIA

```
function mandelbrot(c,maxiter)

z = c

for n in 1:maxiter

if abs(z) > 2

return n

end

z = z^*z + c

end

return 0

end
```



```
function mandelbrot_set(xmin = -0.74877,
        xmax = -0.74872,
        ymin = 0.06505,
        ymax = 0.06510,
        width = 1000,
        height = 1000,
        maxiter = 2048)
        r1 = linspace(xmin, xmax, width)
        r2 = linspace(ymin, ymax, height)
        n3 = zeros(Float32, width, height)
        for i in 1:width
                for j in 1:height
                                    n3[i,j] = mandelbrot(r1[i] + r2[j]im, maxiter)
                end
        end
        return (r1,r2,n3)
```

end

@time mandelbrot\_set()

#### **RESULTS:**

LANGUAGE	TIME (SECONDS)
PYTHON	212
JULIA	3.72



# **BENCHMARK AGAINST PYTHON 5: COIN TOSS**

The coin toss problem is one of the classics of testing the performance of a highly parallelizable problem set. Here we simulate tossing a coin 1 billion times to highlight how multithreading behaves in Python and how it behaves in Julia. Special focus must be presented as both the single threaded as well as the multi threaded versions of the code are presented along with run times. Also, note the changes between the two, vis a vis the ability to multi thread on the fly.

Both Python and Julia were run with 4 workers to maintain parity.

## **PYTHON - SINGLE THREADED**

```
def coin_toss(n = 10**9):
res = [0]*n
for i in range(n):
res[i] = randint(0,1)
```

return res
print(timeit.timeit(coin\_toss, number = 1))

## JULIA - SINGLE THREADED



# Julia Computing, Inc.

45 Prospect St., Cambridge, MA 02139 Email: <u>info@juliacomputing.com</u> Web: <u>www.juliacomputing.com</u>

#### **RESULTS:**

LANGUAGE	TIME (SECONDS)
PYTHON	1804
JULIA	28.8

#### **PYTHON - MULTITHREADED**

from random import randint import time

def toss(start):

global res global part print(start) for i in range(start, part + start): res[i] = randint(0,1)

```
def coin_toss(part, nthreads, n = 10**9):
    pool = ThreadPool(nthreads)
    results = pool.map(toss, range(0, n, part))
    return results
```

```
if ___name___ == '___main___':
```

```
n = 10**9
nthreads = 4
res = [0]*n
part = int(n/nthreads)
start = time.time()
coin_toss(part = part, nthreads = nthreads)
print(time.time() - start)
```



# JULIA - MULTITHREADED

@time coin\_toss(10^9)

## **RESULTS:**

LANGUAGE	TIME (SECONDS)
PYTHON	920
JULIA	2.44

# **BENCHMARK AGAINST PYTHON 6: MATRIX MULTIPLICATION**

The objective is to compare Python's and Julia's ability to parallelize a simple procedure like matrix multiplication. We will be using the straightforward ijk algorithm to perform matrix multiplication. The time and code shows how fast and easy it is to parallelize procedures in Julia. Essentially the procedure performs C=A\*B

The ijk algorithm is an iterative one, each entry in C is calculated as Cik=j=1naij\*bjk



## **MULTIPLICATION ON SINGLE CORE**

JULIA

function ijk(A::Array{Float64}, B::Array{Float64}, C::Array{Float64})

```
@inbounds for i=1:size(A)[1]
```

for k=1:size(B)[2]

for j=1:size(A)[2]

 $C[i,k] += A[i,j]^*B[j,k]$ 

end

end

end

С

end

function perform\_ijk(n::Int64)

A = randn((n,n)) B = randn((n,n)) C = zeros((n,n)) tic() ijk(A,B,C) toc()

end



Julia Computing, Inc. 45 Prospect St., Cambridge, MA 02139 Email: <u>info@juliacomputing.com</u> Web: <u>www.juliacomputing.com</u>

## **PYTHON**

import numpy as np

from time import time as t

**def** ijk(A,B,C):

for i in range(A.shape[0]):

for k in range(B.shape[1]):

for j in range(A.shape[1]):

C[i,k] += A[i,j]\*B[j,k]

## return C

if \_\_name\_\_ == "\_\_main\_\_\_":

A = np.random.normal(size=(1000,1000))

B = np.random.normal(size=(1000,1000))

C = np.zeros((1000,1000))

start = t()

C = ijk(A,B,C)

print("elapsed time: {0} seconds".format(t()-start))

#### RESULTS

LANGUAGE	TIME (SECONDS)
PYTHON	800
JULIA	1.38



## **MULTIPLICATION ON MULTIPLE (4) CORES**

## JULIA

addprocs(4) #adding 4 processes

#the following defines function on all processes

@everywhere function matmul\_multicore(n,w,A,B,C)

range = 
$$1+(w-2) * div(n,4) : (w-1) * div(n,4)$$

@inbounds for i=range

for k=1:size(B)[2]

for j=1:size(A)[2]

C[i,k]+= A[i,j]\*B[j,k]

end

end

end

end

function perform\_ijk\_multicore(n::Int64)

A = SharedArray{Float64}(randn(n,n));

B = SharedArray{Float64}(randn(n,n));

C = SharedArray{Float64}((n,n));

tic()



. . .

## @sync begin

for w in workers()

@async remotecall\_wait(matmul\_multicore, w, n, w, A, B, C)

end

end

toc()

end

#### **PYTHON**

import multiprocessingimport numpy as np

from time import time as t

def lineMult(start):

global A, B, C, part

n = len(A)

for i in range(start, start+part):

for k in range(n):

for j in range(n):

C[i,j] += A[i,k] \* B[k,j]

def ikjMatrixProduct(A, B, threadNumber):

n = len(A)

pool = multiprocessing.Pool(threadNumber)



pool.map(lineMult, range(0,n, part))

#### return C

- if \_\_name\_\_ == "\_\_main\_\_\_":
  - A = np.random.normal(size=(1000,1000))
  - B = np.random.normal(size=(1000,1000))

C = np.zeros((1000,1000))

- n, m, p = len(A), len(A[0]), len(B[0])
- threadNumber = 4

part = int(len(A) / threadNumber)

start = t()

C = ikjMatrixProduct(A, B, threadNumber)

print("elapsed time: {0} seconds".format(t()-start)

#### RESULTS

LANGUAGE	TIME (SECONDS)
PYTHON	436
JULIA	2.27